

**INSCRIBED FOUR CIRCLES OF TWO DIFFERENT RADII IN
AN EQUILATERAL TRIANGLE DERIVE THE REDDY π
(2541st Paper)**

1. Small circle

$$\text{Radius} = 4$$

$$\text{Area} = \pi r^2 = \pi \times (4)^2 = 16\pi$$

2. Sum of area of 3 circles

$$16\pi \times 3 = 48\pi$$

3. Big Circle

$$\text{Radius} = 12$$

$$\text{Area} = \pi r^2 = \pi \times (12)^2 = 144\pi$$

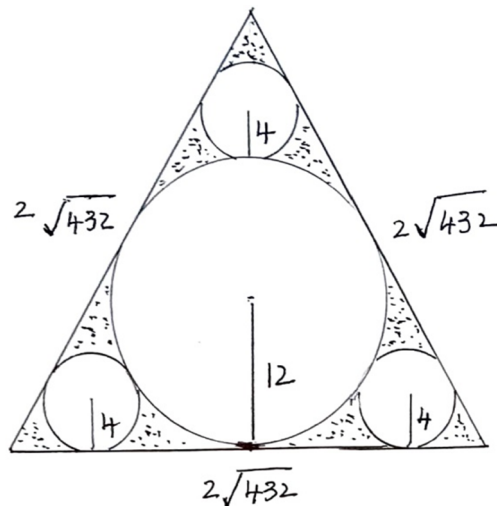
4. Sum of area of 4 circles =

$$48\pi + 144\pi = 192\pi$$

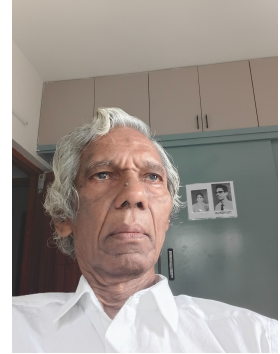
5. Equilateral Triangle

$$\text{Side} = 2\sqrt{432}$$

$$\text{Area} = \frac{\sqrt{3}}{4} \times \{2\sqrt{432}\}^2 = \frac{1728\sqrt{3}}{4}$$



6. Let, the shaded area is equal to $\frac{1728\sqrt{3} - 2688 + 192\sqrt{2}}{4}$



7. Finally,

Area of 3 small circles + Area of Big Circle + Shaded area = Triangle area

$$8. \quad 48\pi + 144\pi + \frac{1728\sqrt{3} - 2688 + 192\sqrt{2}}{4} = \frac{1728\sqrt{3}}{4}$$

$$9. \quad 192\pi + \frac{1728\sqrt{3} - 2688 + 192\sqrt{2}}{4} = \frac{1728\sqrt{3}}{4}$$

$$10. \quad \frac{768\pi + 1728\sqrt{3} - 2688 + 192\sqrt{2}}{\cancel{4}} = \frac{1728\sqrt{3}}{\cancel{4}}$$

$$11. \quad 768\pi = \cancel{1728}\sqrt{3} - \cancel{1728}\sqrt{3} + 2688 - 192\sqrt{2}$$

$$12. \quad 768\pi = 2688 - 192\sqrt{2}$$

$$13. \quad \pi = \frac{2688 - 192\sqrt{2}}{768}$$

$$14. \quad \pi = \frac{14 - \sqrt{2}}{4}$$

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